

# Performance Objectives and the AASHTO *Guide Specifications for LRFD Seismic Bridge Design*

**Elmer E. Marx, PE, SE**  
**State of Alaska DOT&PF**  
**Bridge Section**  
**Juneau, Alaska**



# Performance Objectives



- AASHTO *Guide Specifications for LRFD Seismic Bridge Design* (SGS) is primarily a displacement-based design approach
- SGS addresses a single performance objective
- No collapse as a result of the single hazard level (1000 year event)

# Performance Objectives



- User expectations, down time, economics
- Need for better seismic bridge performance
  - *Minimal* damage ~ some yielding
  - *Repairable* damage ~ spalling
  - *No collapse* ~ buckling or rupture
- A “functional level” EQ may be needed (100 year event) with minimal or repairable damage

# Performance Objectives



- *CALTRANS* MTD 20-1 (July 2010)

<b>Bridge Category</b>	<b>Seismic Hazard Evaluation Level</b>	<b>Post Earthquake Damage Level</b>	<b>Post Earthquake Service Level</b>
<b>Important</b>	<b>Functional</b>	<i>Minimal</i>	<i>Immediate</i>
	<b>Safety</b>	<i>Repairable</i>	<i>Limited</i>
<b>Ordinary</b>	<b>Safety</b>	<i>Significant</i>	<i>No Collapse</i>

- Oregon DOT also has multiple hazard level design approach



# Performance Objective



- How to design for performance objectives?
  - Displacement ductility
  - Plastic hinge rotation
  - Material strain limits
- SGS provides strain limits (e.g. Table 8.4.2-1)
- Perhaps add performance objective strain limits



# No Collapse Performance

- SGS strain-based deformation limits

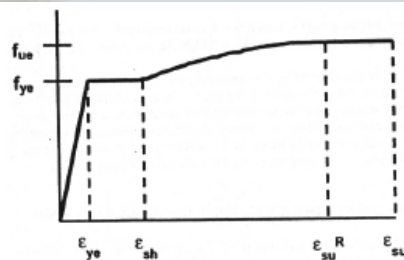


Figure 8.4.2-1 Reinforcing Steel Stress-Strain Model.

Table 8.4.2-1 Stress Properties of Reinforcing Steel Bars.

Property	Notation	Bar Size	ASTM A706	ASTM A615 Grade 60
Specified minimum yield stress (ksi)	$f_y$	#3 - #18	60	60
Expected yield stress (ksi)	$f_{ye}$	#3 - #18	68	68
Expected tensile strength (ksi)	$f_{ue}$	#3 - #18	95	95
Expected yield strain	$\epsilon_{ye}$	#3 - #18	0.0023	0.0023
Onset of strain hardening	$\epsilon_{sh}$	#3 - #8	0.0150	0.0150
		#9	0.0125	0.0125
		#10 - #11	0.0115	0.0115
		#14	0.0075	0.0075
		#18	0.0050	0.0050
Reduced ultimate tensile strain	$\epsilon_{su}^R$	#4 - #10	0.090	0.060
		#11 - #18	0.060	0.040
Ultimate tensile strain	$\epsilon_{su}$	#4 - #10	0.120	0.090
		#11 - #18	0.090	0.060

Table 8.4.2-1

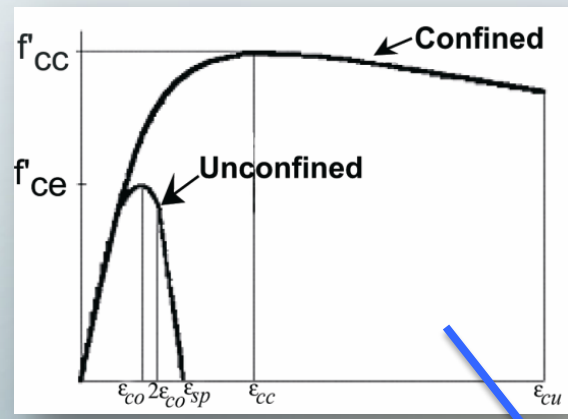


Figure 8.4.4-1

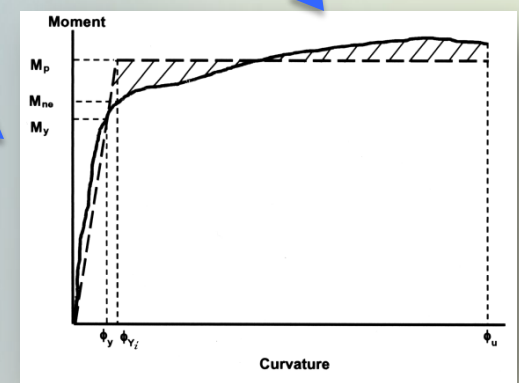


Figure 8.5-1

# Performance Objective



- Some performance strain limits of interest
  - Concrete tensile cracking
  - Concrete compressive spalling
  - Confined concrete core crushing
  - Longitudinal bar tensile yielding
  - Longitudinal bar buckling
  - Longitudinal bar tensile rupture
  - Transverse bar yielding
  - Transverse bar rupture

# Performance Objective



- Sample strain limits

Performance Objective	Concrete Strain Limit (Compression)	Steel Strain Limit (Tension)
Minimal (proposed)	~ 0.005 in/in	~ 0.003 in/in
Repairable (proposed)	Spalling of cover concrete, onset of bar buckling, etc.	$\epsilon_{sh}$ onset of strain hardening, residual concrete crack width less than about 1mm, etc.
No Collapse (from SGS)	$\epsilon_{cu} = 0.004 + 1.4 * \rho_s * f_y * \epsilon_{su} / f'_{cc}$	$\epsilon_{su}^R = 0.09$ in/in for $d_b \leq \#10$ $\epsilon_{su}^R = 0.06$ in/in for $d_b \geq \#11$



# Performance Objective

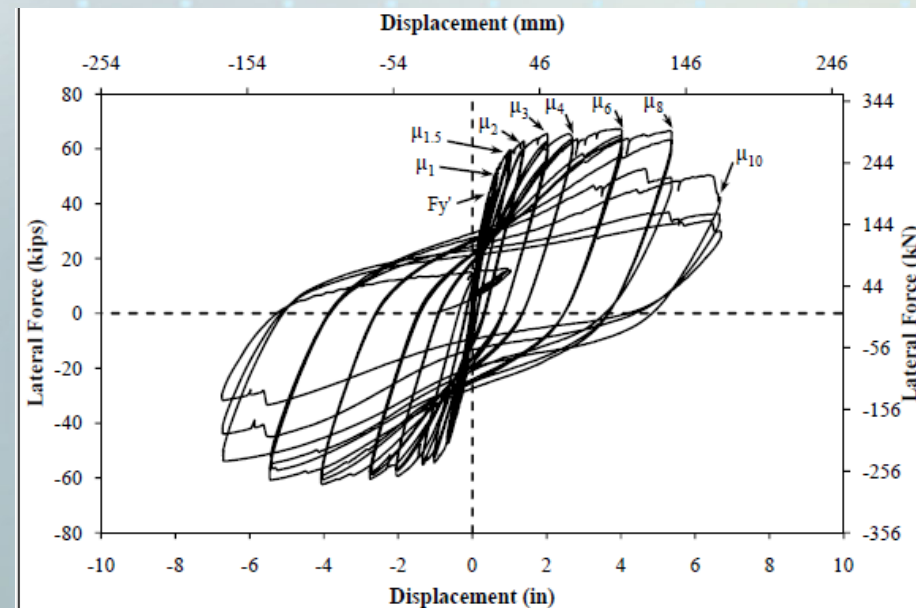
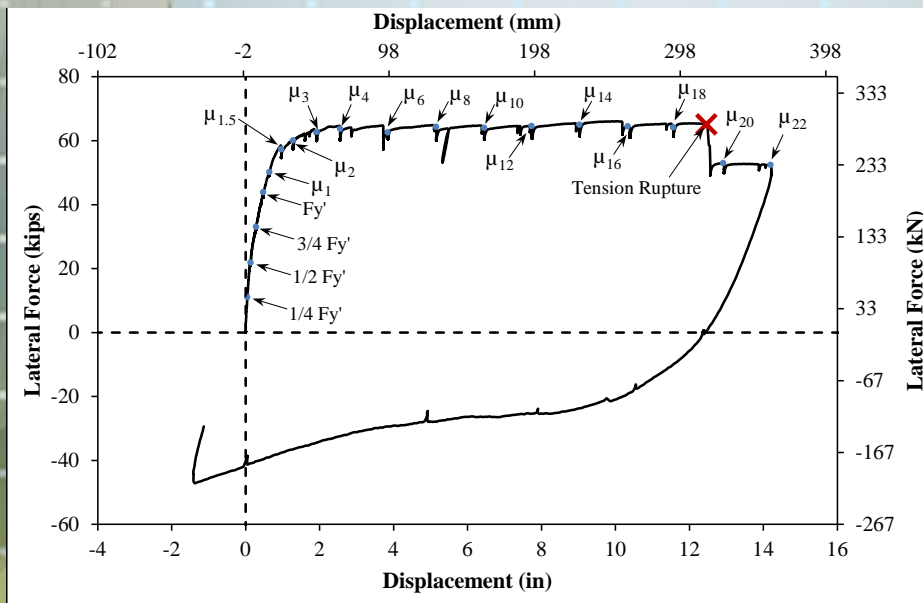


- But it's more than just strain limits
  - Permanent drift and settlement limits
  - Multiple EQ hazard levels
  - Statistical calibration / fragility curves
  - Indirect seismic hazards
  - User expectations after EQ event

# EQ Load History Effects



- Comparison between quasi-static and the standard three-cycle loading protocol



(Kowalsky et al. 2010 - NCSU)

# EQ Load History Effects



- SGS reduced ultimate tensile strain,  $\epsilon_{su}^R$ , based upon 3-cycle laboratory loading protocol
- SGS appears conservative but “one-size-fits-all” may be inadequate
- Strain limits based upon anticipated EQ deformations may be warranted

# EQ Load History Effects



- FHWA *Seismic Retrofitting Manual*

$$\varepsilon_{ap} = 0.08 * (2 * N_f)^{-1/2}$$

where:

$\varepsilon_{ap}$  = low-cycle fatigue strain amplitude

$N_f$  = equivalent equal amplitude cycles

$$N_f = 3.5 * (T_n)^{-1/3} \qquad 2 < N_f < 10$$

$T_n$  = natural period of bridge

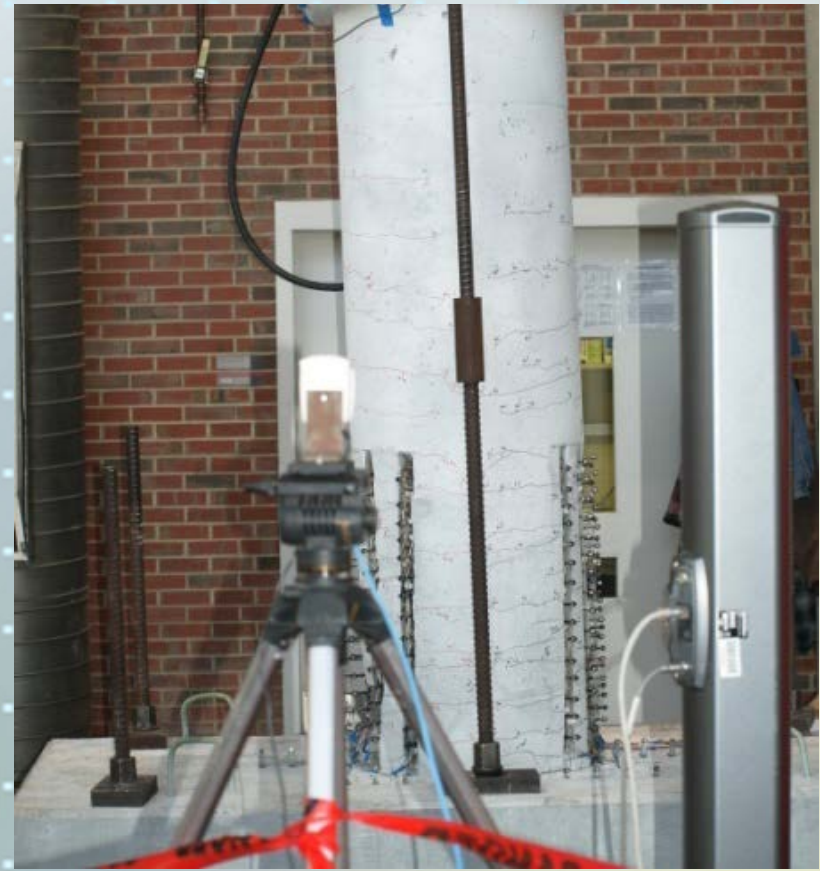
$$\phi_p = 2 * \varepsilon_{ap} / (D')$$



# EQ Load History Effects



- Ongoing research includes directional considerations

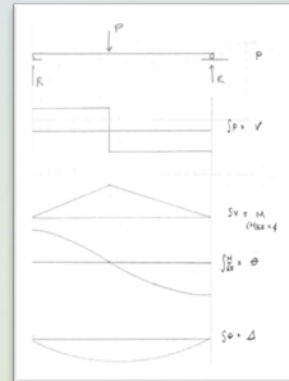




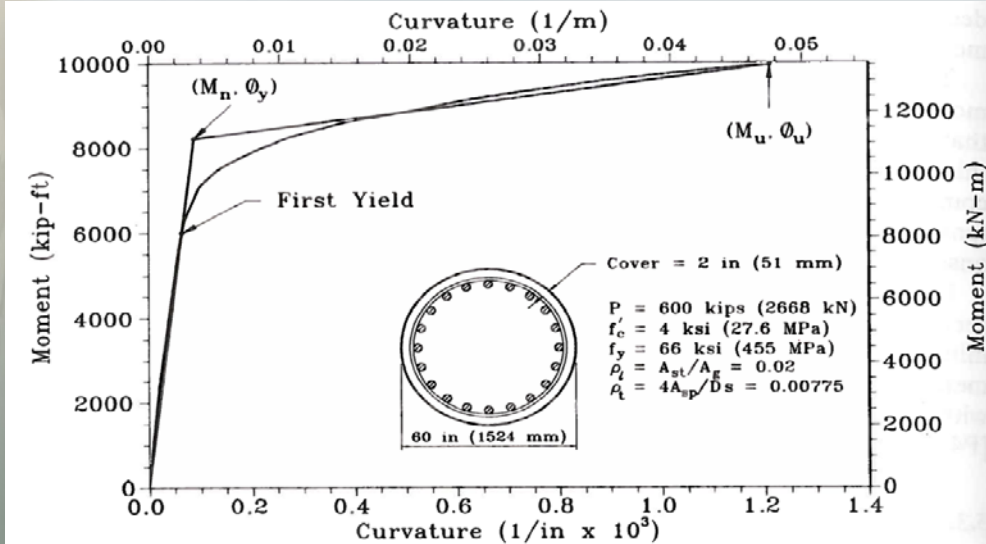
# Strain to Deformation



- Integration : load  $\rightarrow$  shear  $\rightarrow$  moment (curvature  $M-\phi$ )  $\rightarrow$  slope  $\rightarrow$  deflection
- Numerous approaches to “integrate”
- Analytical plastic hinge length is a simplification used to transform curvature to rotation (slope) and is used in the SGS



# Plastic Hinge Length, $L_p$

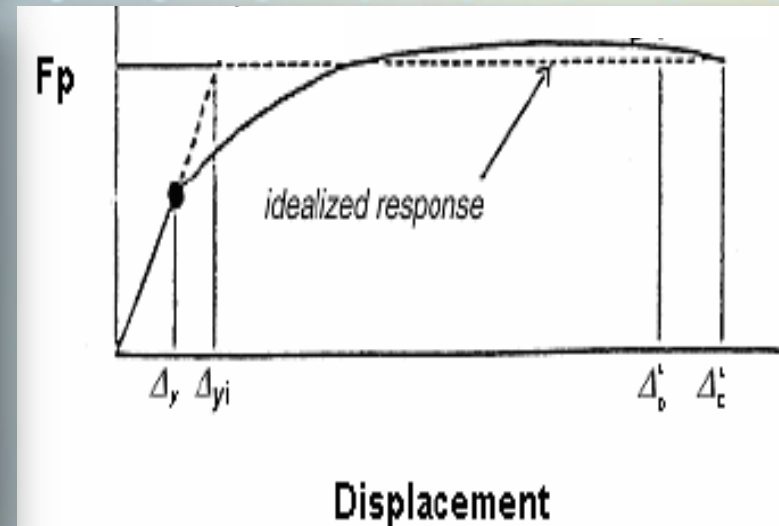
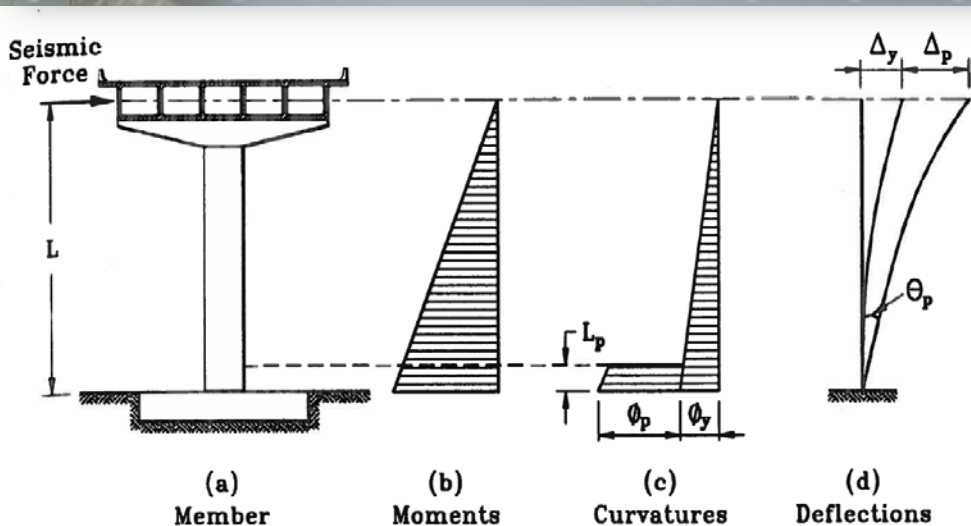


$$\Delta_y \sim \phi_y * L^2 / 3$$

$$\Delta_u \sim \Delta_y + \Delta_p$$

$$\Delta_p \sim \theta_p * L$$

$$\theta_p \sim (\phi_u - \phi_y) * L_p$$



# Plastic Hinge Length, $L_p$



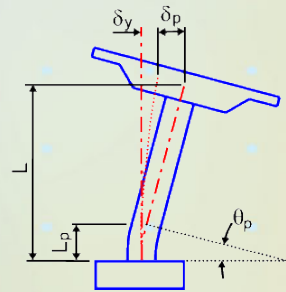
$$L_p = 0.08 * L + 0.15 * f_{ye} * d_{bl}$$

where:

$L$  = distance from hinge to zero moment

$f_{ye}$  = expected bar yield stress

$d_{bl}$  = longitudinal column bar diameter



- Moment gradient part (column) and a strain penetration part (footing / cap / shaft)

# Plastic Hinge Length, $L_p$

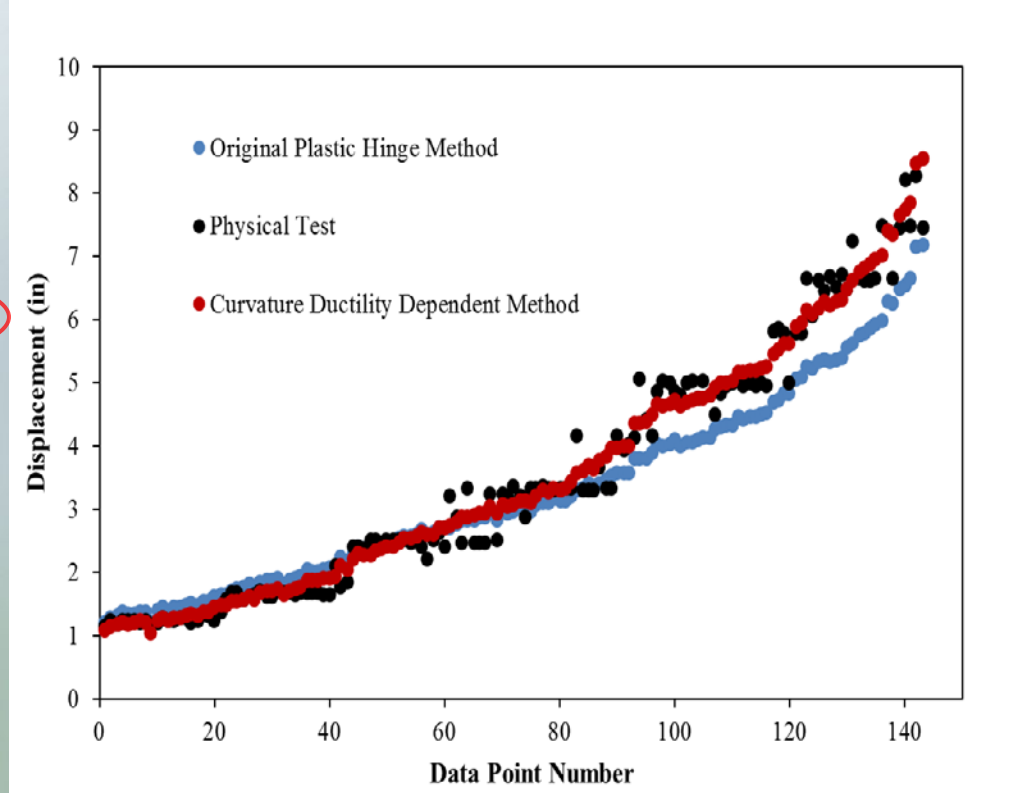
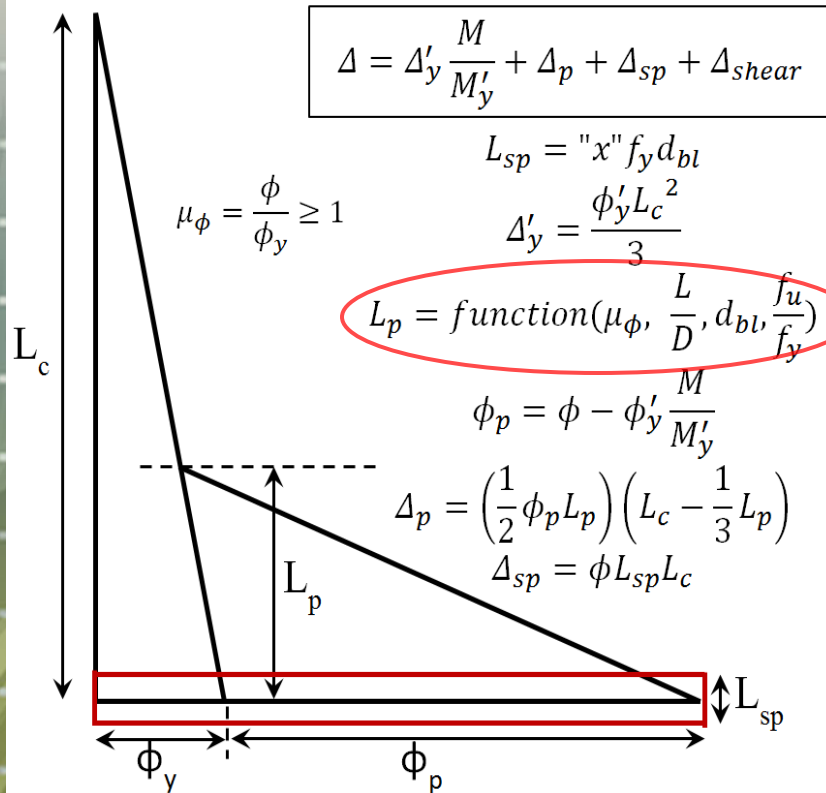


- Reducing either the moment gradient part or the strain penetration part will reduce  $\Delta_u$
- Calibrated to the ultimate strain limit and corresponding deformation
- Modifications may be required to better correlate deformations at lower strain values

# Plastic Hinge Length, $L_p$



- Curvature dependent plastic hinge length



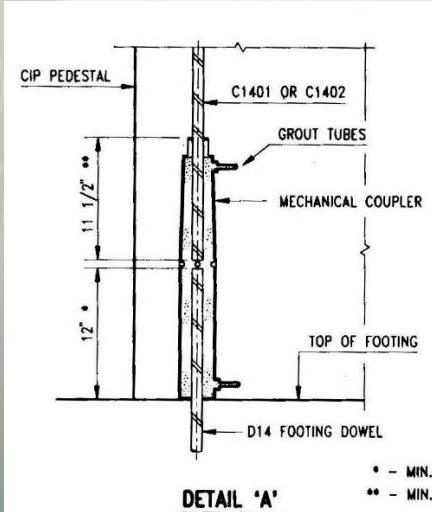


# Sidetrack - ABC Connections



- Method of connecting and anchoring reinforcement to prefabricated elements
  - Grouted Bar Couplers
  - Mechanical Bar Couplers
  - Grouted Ducts
  - ~~Welded Bar Splices~~

# Sidetrack - ABC Connections



# Sidetrack - ABC Connections



- Can develop full tensile strength of bar
- Stiffer stress-strain than un-spliced bar
- These devices may reduce the analytical plastic hinge length
- Smaller  $L_p$  suggest higher strains at smaller displacement (performance objectives?)

# Longitudinal Bar Buckling



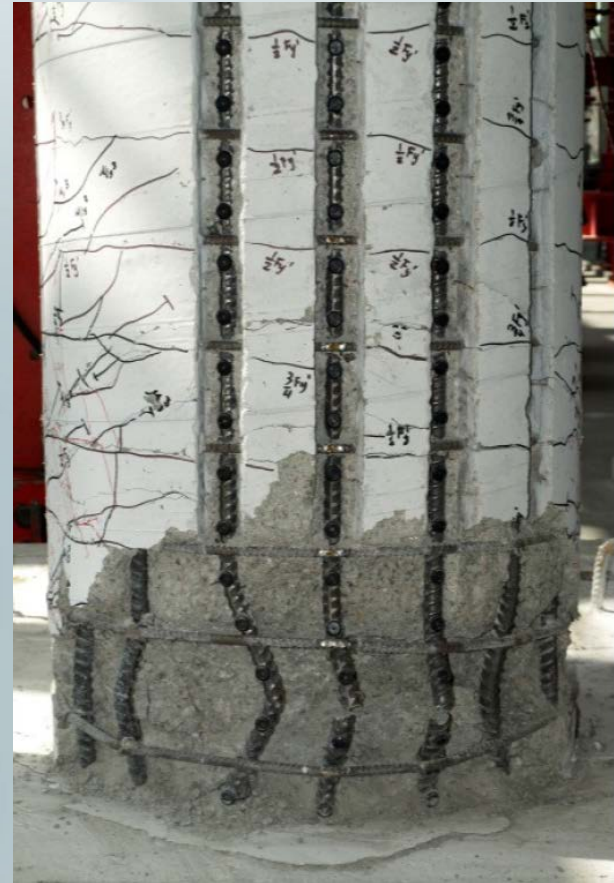
- SGS defines bar failure on tensile rupture
- Under cyclic loading, tensile bar rupture is often preceded by bar buckling which is preceded by a large tensile strain and yielding of the transverse reinforcement
- Will likely need strain limits for bar buckling



# Longitudinal Bar Buckling



- Bar buckling performance limit





# Longitudinal Bar Buckling



- FHWA Seismic Retrofitting Manual

$$\varepsilon_b = 2 * f_y / E_s$$

where:

$$\varepsilon_b = \text{bar buckling strain} = 1/2 * \varepsilon_y$$

$$f_y = \text{yield stress}$$

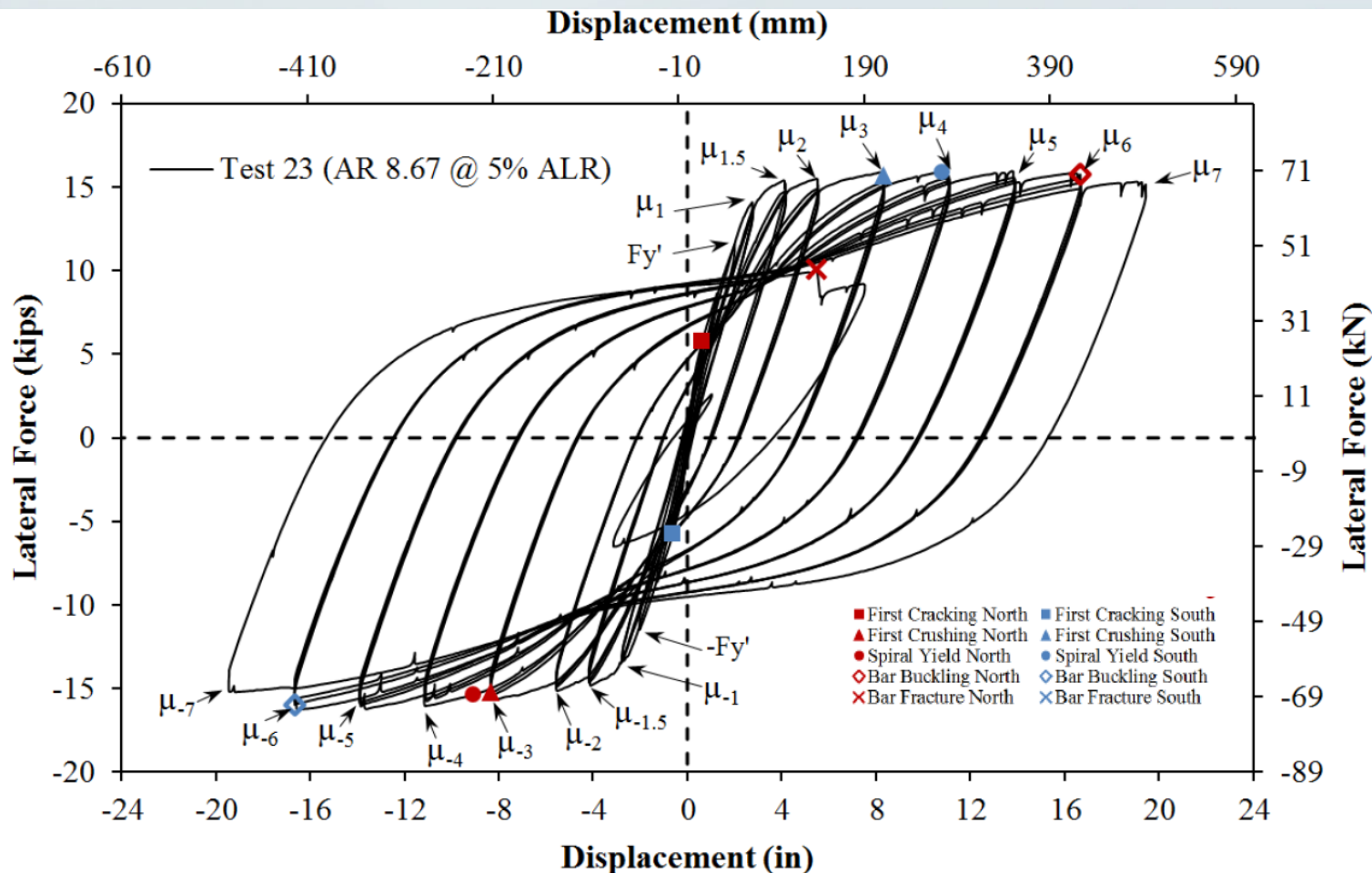
$$E_s = \text{modulus of elasticity}$$

$$\phi_p = \varepsilon_b / (c - d') - \phi_y$$

# Longitudinal Bar Buckling



## Compressive stress during tensile strain



# Longitudinal Bar Buckling



- UW (Berry and Eberhard) bar buckling drift limits based upon the column test database

$$\Delta_{bb}/L = 3.25 * (1 + k_{e\_bb} * \rho_{eff} * d_b/D) * (1 - P/A_g * f'_c) * (1 + L/10 * D)$$

where:

$k_{e\_bb} = 40$  for rectangular, 150 for circular and 0 if  $s/d_b > 6$

$$\rho_{eff} = \rho_s * f_{ys}/f'_c$$

$d_b$  = diameter of longitudinal column bars

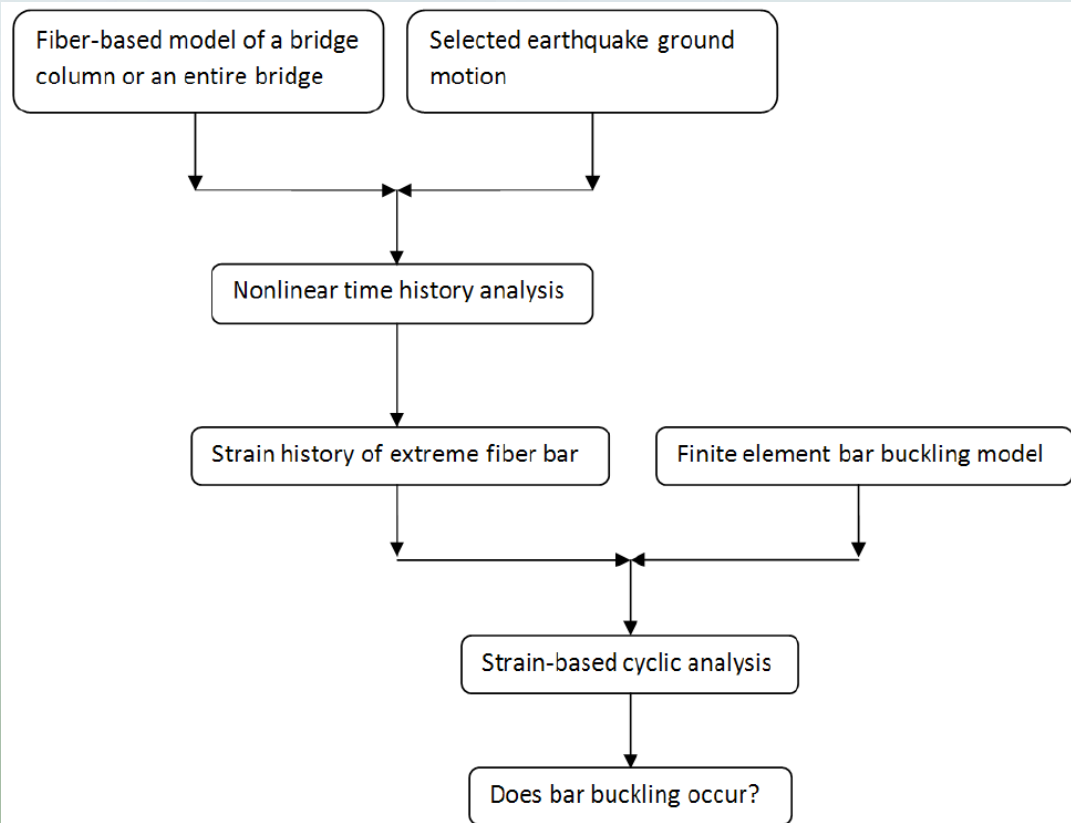
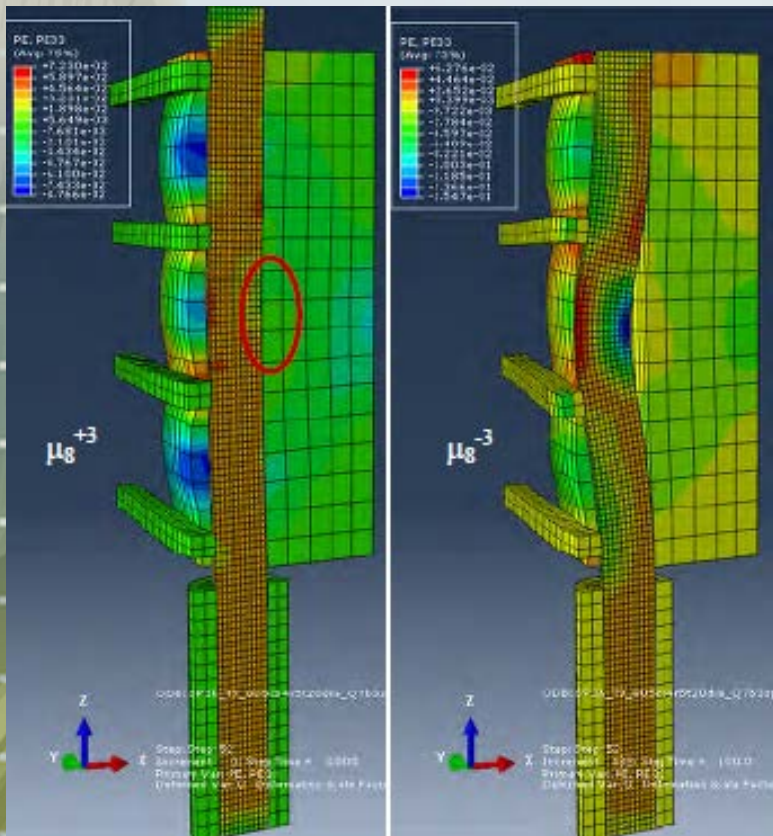
$L$  = distance between plastic hinge and contraflexure point

$D$  = column diameter or depth in direction of loading

# Longitudinal Bar Buckling



- NCSU research approach





# Longitudinal Bar Buckling



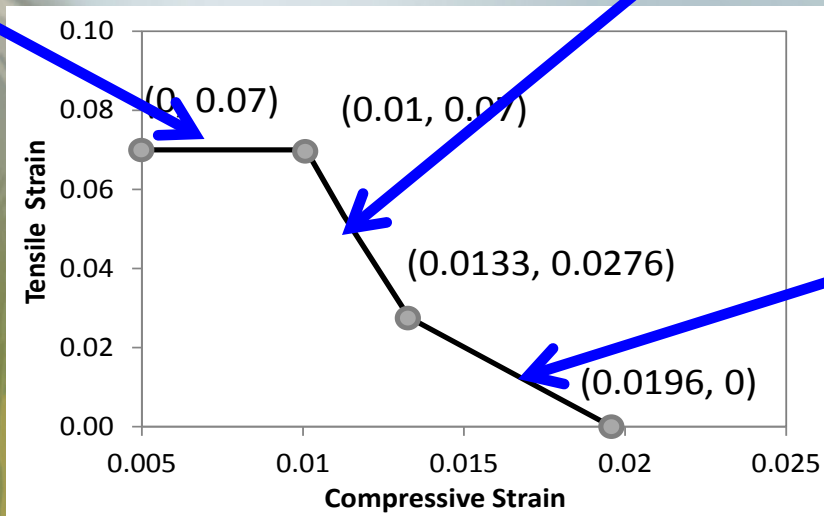
- NCSU recommendations

$$\varepsilon_t \leq 0.09, \text{ if } \frac{s}{d_{bl}} < 3$$

$$\varepsilon_t \leq 0.06, \text{ if } \frac{s}{d_{bl}} > 4$$

$$\varepsilon_t \leq 0.09 - 0.03\left(\frac{s}{d_{bl}} - 3\right), \text{ if } 3 < \frac{s}{d_{bl}} < 4$$

$$\varepsilon_t = \frac{-15 \left( \varepsilon_c - \frac{0.0205}{\sqrt[3]{\frac{s}{d_{bl}} - 1}} \right)}{\left( \frac{d_{bl}}{d_h} - 1 \right)^2}$$



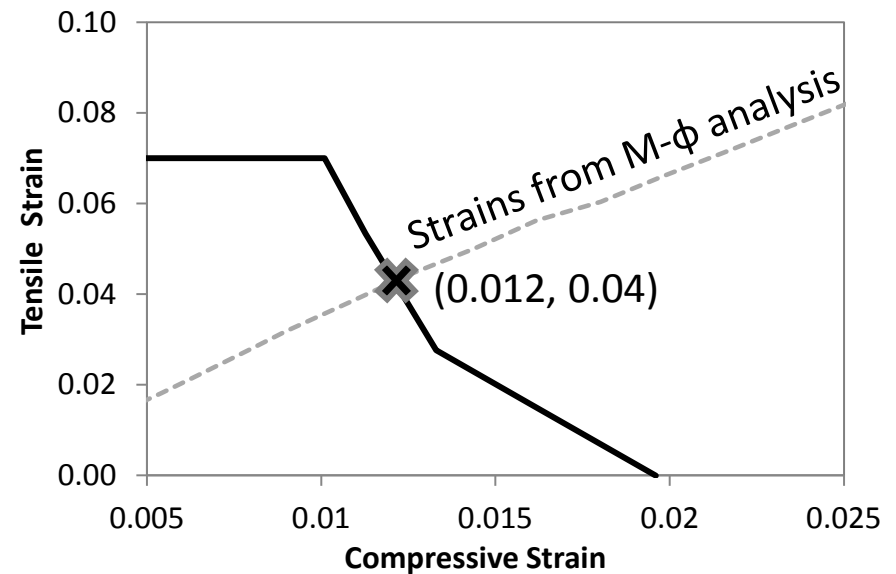
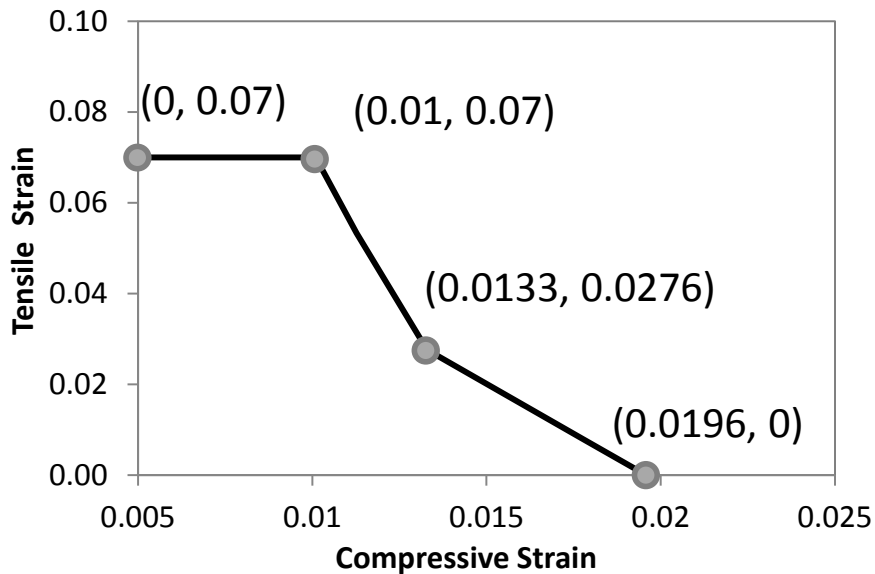
$$\varepsilon_t \geq -1.7 \frac{s}{d_{bl}} \sqrt{\frac{d_h}{d_{bl}}} \varepsilon_c + 0.045 \sqrt{\frac{s}{d_{bl}}}$$



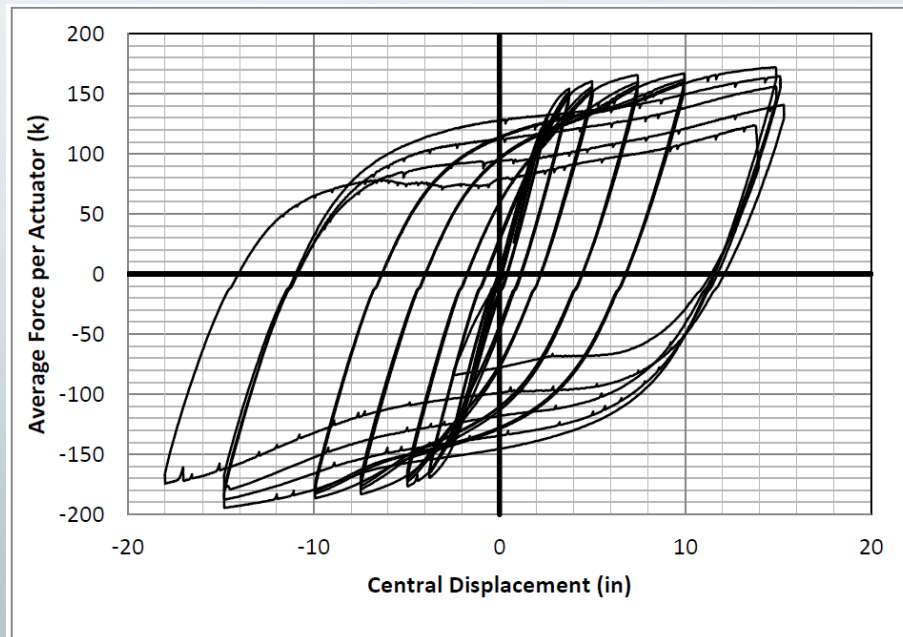
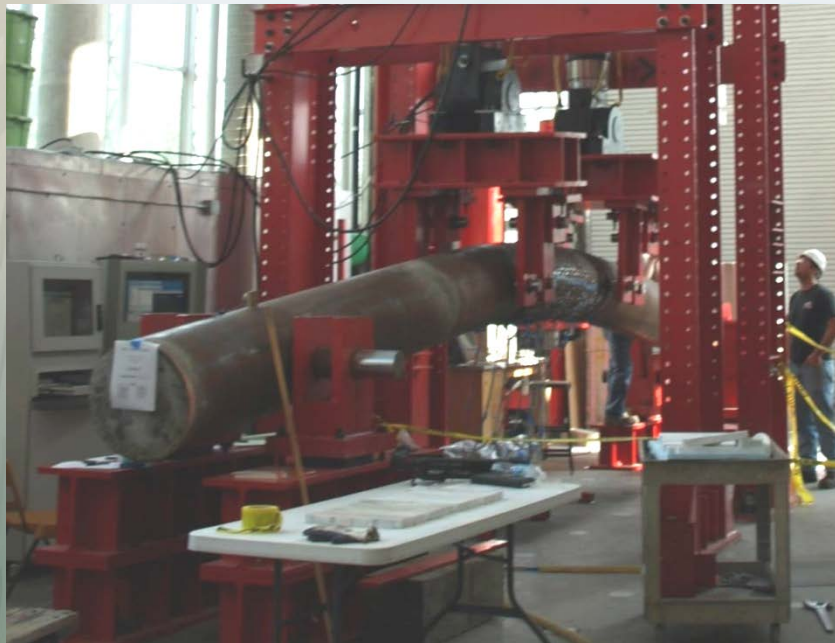
# Longitudinal Bar Buckling



- NCSU recommendations



# Concrete Filled Steel Pipes



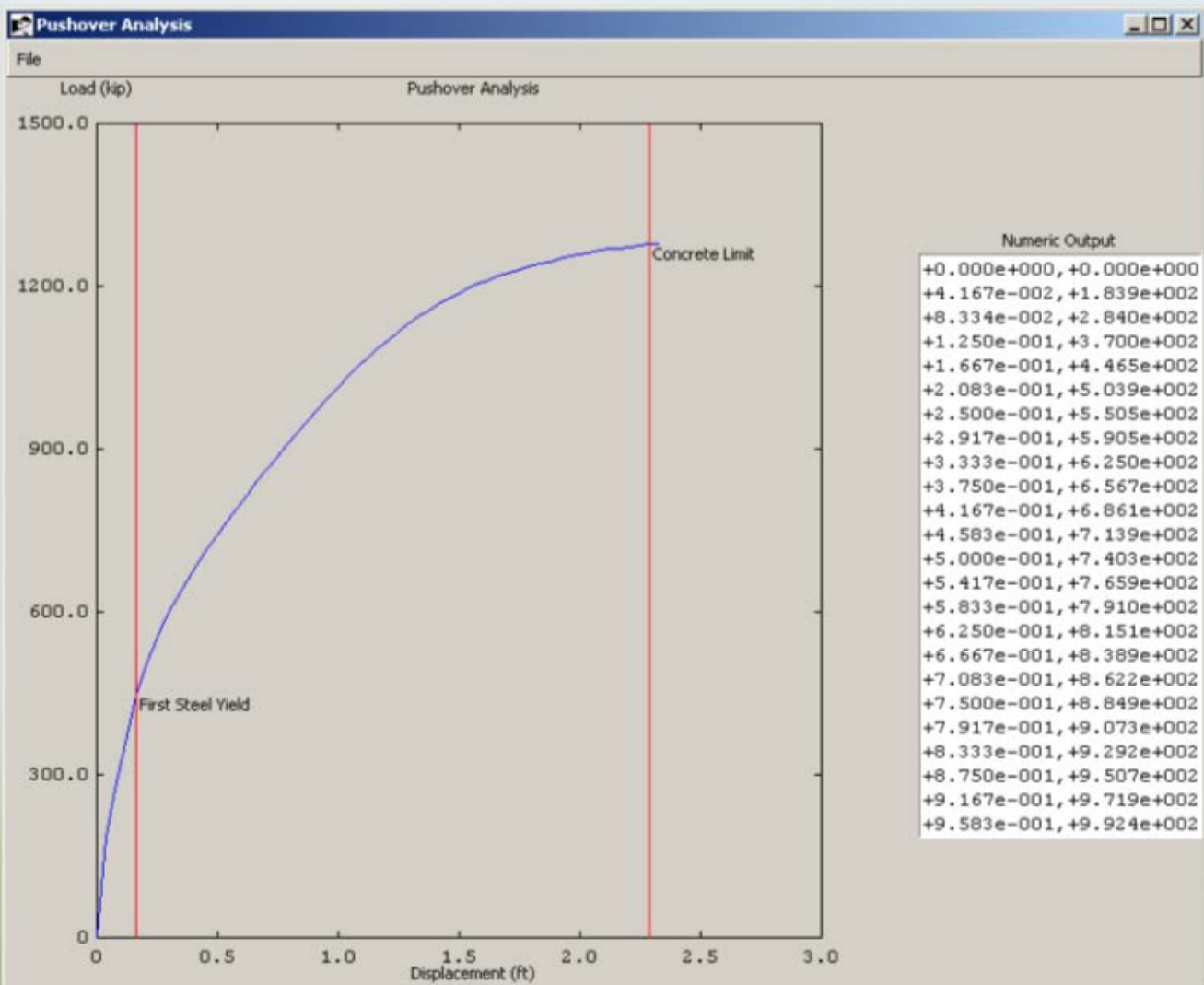
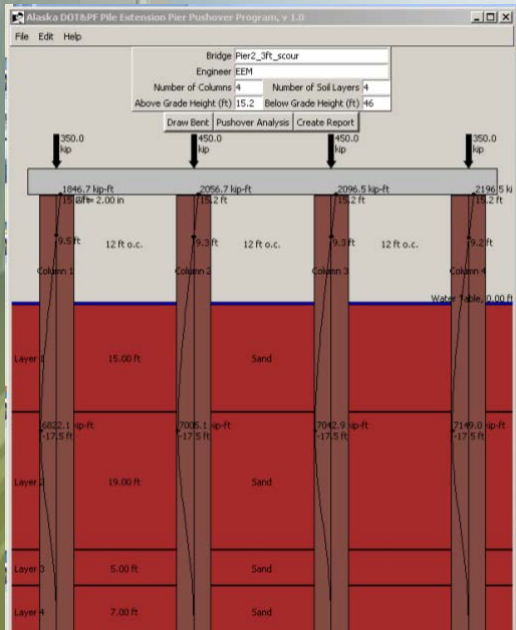
# Concrete Filled Steel Pipes



- + Minimize in-water work, no cofferdam
- + High strength, stiffness, seismic resistance
- + Open ended piles for obstruction removal
- + Scour and liquefaction resistant
- Pile availability (API 5L vs. ~~ASTM A 252~~)
- Field welding, QC and QA
- How to connect to “weaker” cap beam?
- Below ground hinging



# Concrete Filled Steel Pipes





# Strain Limits for CFSP

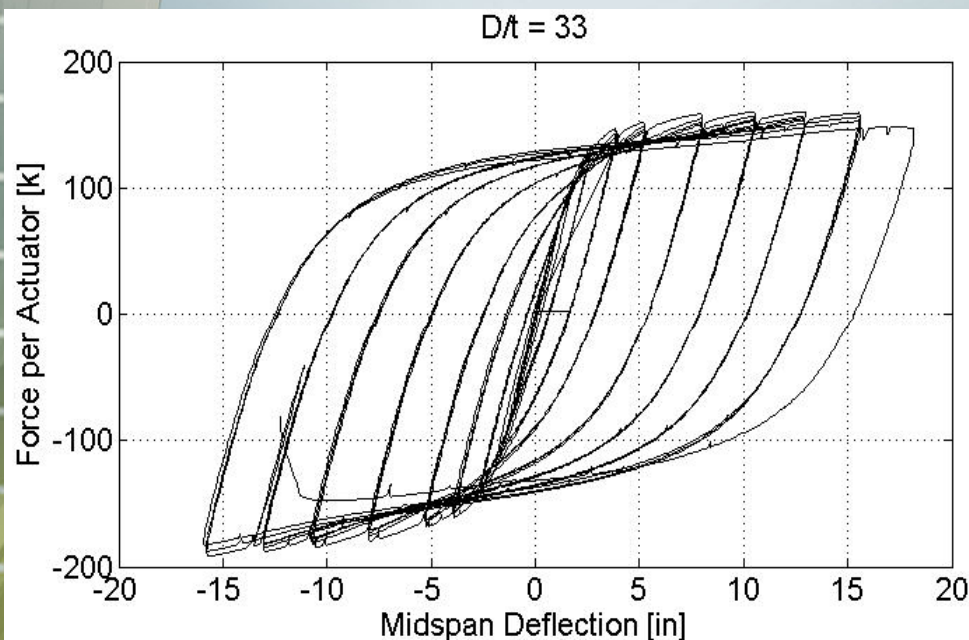


- AKDOT sponsored research at NCSU
  - First principles (equilibrium compatibility)
  - $33 < D/t < 192$  (piles and drilled shafts)
  - With and without reinforcing steel
  - Straight seam and spiral welded
  - Buckling and rupture strain limits
  - Analytical plastic hinge length (ongoing)



# Strain Limits for CFSP

- Large lateral deformation capacity
- Good force-deformation / hysteretic response



# Strain Limits for CFSP



- Onset of buckling and rupture

Ductility 2,  $\Delta=2.04$  in



Ductility 3,  $\Delta= 3.06$  in



Ductility 4,  $\Delta= 4.08$  in



Ductility 5,  $\Delta=6.12$  in



Ductility 6,  $\Delta=8.17$  in



Rupture at Ductility 6 pull 2





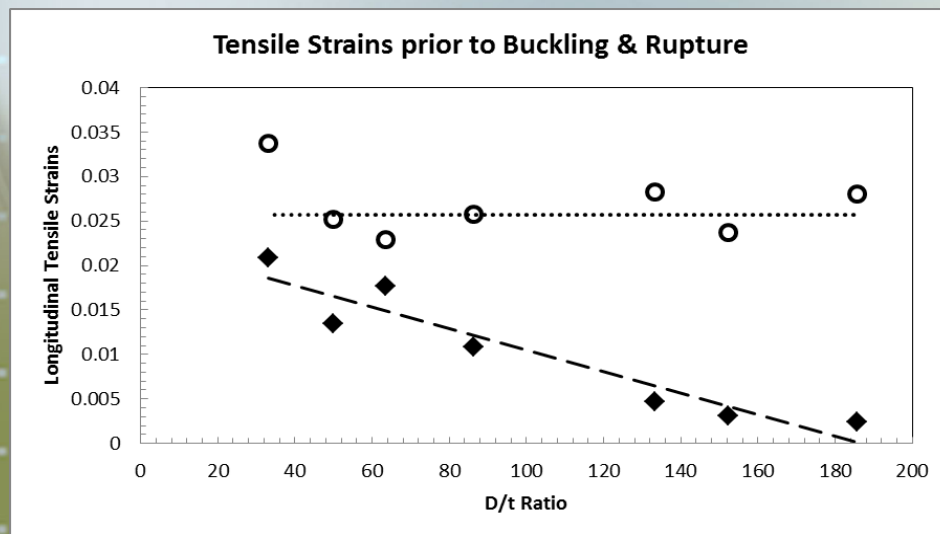
# Strain Limits for CFSP

- Onset of pipe wall buckling (tensile strain)

$$\varepsilon_b \sim 0.022 - (D/t) / 9,000$$

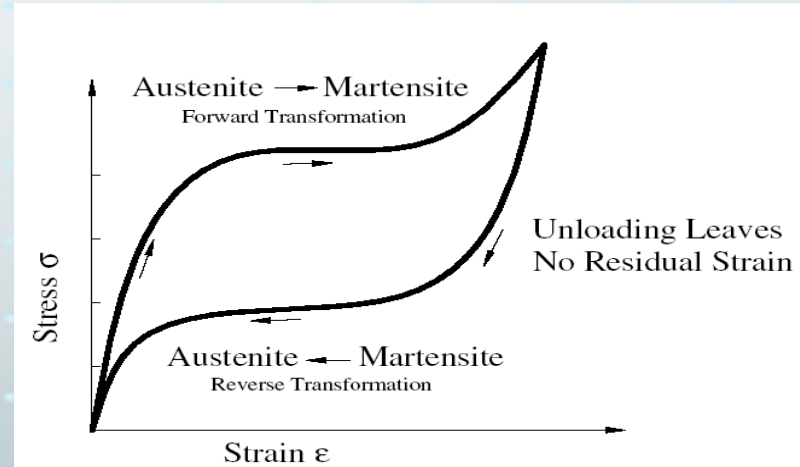
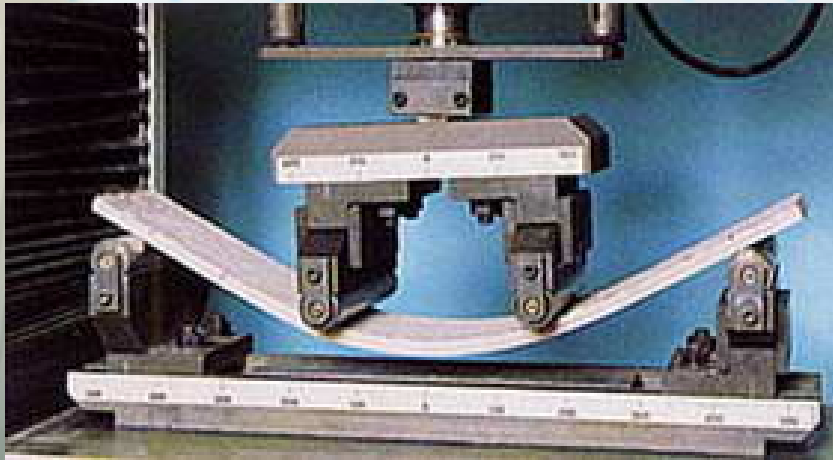
- Reduced ultimate tensile strain

$$\varepsilon_{su}^R \sim 0.026 \text{ in./in.}$$





# Nontraditional Systems



# Direct Displacement Design



- Start with performance objective (strain, deflection or ductility limits)
- Size the member (column diameter)
- Reinforce to specified resistance ( $\rho_l$ )
- Check non-seismic load combinations

# Direct Displacement Design

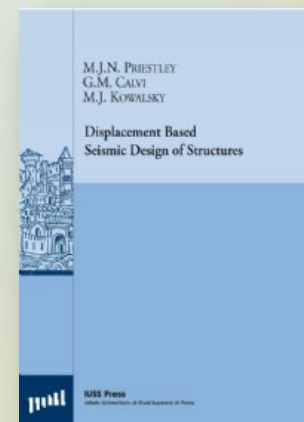


- Advantages

- + insensitive to initial stiffness
- + relatively easy to use
- + different methodology for QC/QA

- Disadvantages

- equivalent viscous damping
- complex geometry limitations
- limited utilization to date





# Questions - Thank you



**STATE OF ALASKA**  
DEPT. OF TRANSPORTATION  
AND PUBLIC FACILITIES

**Elmer Marx, P.E.**  
Senior Bridge Engineer

**Bridge Section**  
3132 Channel Drive  
P.O. Box 112500  
Juneau, Alaska 99811-2500  
OFFICE 1-907- 465-6941  
FAX 1-907- 465-6947  
E-MAIL: [elmer.marx@alaska.gov](mailto:elmer.marx@alaska.gov)